## Applied Matrix Theory

ccss	4 – Mastery	3 – Proficient	2 - Basic	1 – Below Basic	0 – No Evidence
Creating and interpreting Markov chains (A.REI.8)	Can extend thinking beyond the standard, including tasks that may involve one of the following: Designing Connecting Synthesizing Applying Justifying Critiquing Analyzing	Create a transition matrix and distribution vector <u>from context</u> Find and <u>interpret</u> the steady state distribution, distribution after n transitions (regular or absorbing), <u>and</u> probability of being absorbed	Create a transition matrix and distribution vector <u>from context</u> Find the steady state distribution <u>or</u> the distribution after n transitions	Create a transition matrix <u>from a diagram</u> Classify given matrices by type	Little evidence of reasoning or application to solve the problem Does not meet the criteria in a level 1
	<ul><li>Creating</li><li>Proving</li></ul>				

Instructional Focus: Markov Chains

A.REI.8 Represent a system of linear equations as a single matrix equation in a vector variable.

## **Applied Matrix Theory**

Instructional Focus: Game Theory

CCSS	4 – Mastery	3 – Proficient	2 - Basic	1 – Below Basic	0 – No Evidence
Creating and analyzing matrices in Game Theory (S.MD.5, S.MD.6, S.MD.7)	Can extend thinking beyond the standard, including tasks that may involve one of the following: Designing Connecting Synthesizing Applying Justifying Critiquing Analyzing Creating Proving	For zero sum games including <u>at least two</u> options <u>without a saddle</u> <u>point</u> • Create a payoff matrix • Find the mixed strategy (probability distributions) for each player • Find the expected value of the game	<ul> <li>For zero sum games including two options with <u>more than one</u> saddle point</li> <li>Create a payoff matrix</li> <li>Find the <u>mixed</u> <u>strategy</u> (probability distributions) for each player</li> <li>Find the expected value of the game</li> </ul>	<ul> <li>For zero sum games including two options with <u>a</u> saddle point</li> <li>Create a payoff matrix</li> <li>Find the strategy (probability distributions) for each player</li> <li>Find the expected value of the game</li> </ul>	Little evidence of reasoning or application to solve the problem Does not meet the criteria in a level 1

- S.MD.5 Weigh the possible outcomes of a decision by assigning probabilities to payoff values and finding expected values.
- S.MD.6 Use probabilities to make fair decisions (e.g., drawing by lots, using a random number generator).
- S.MD.7 Analyze decisions and strategies using probability concepts (e.g., product testing, medical testing, pulling a hockey goalie at the end of a game).